

States of Matter

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Solid

Liquid

Gas

SOLID

SOLID

LIQUID

GAS

SOLID

LIQUID

GAS

Solid

Liquid

Condensation

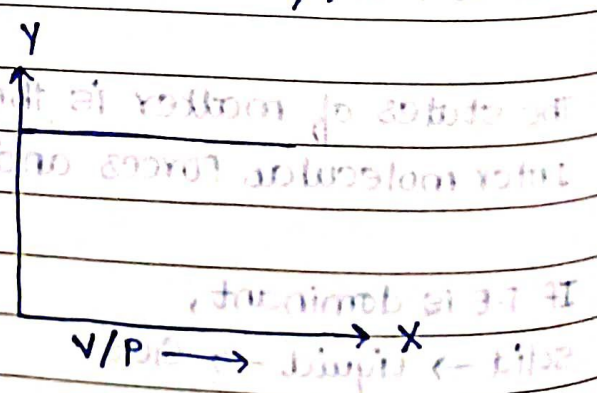
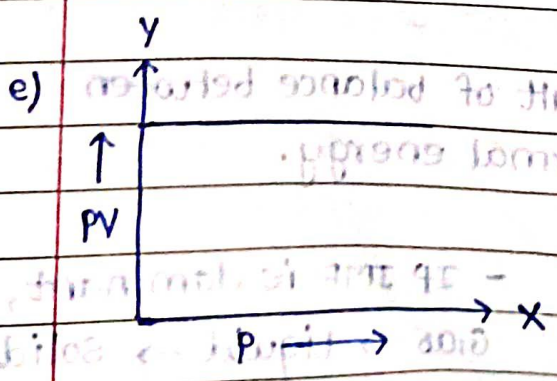
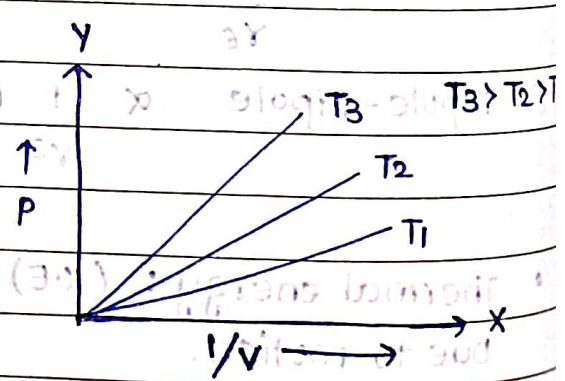
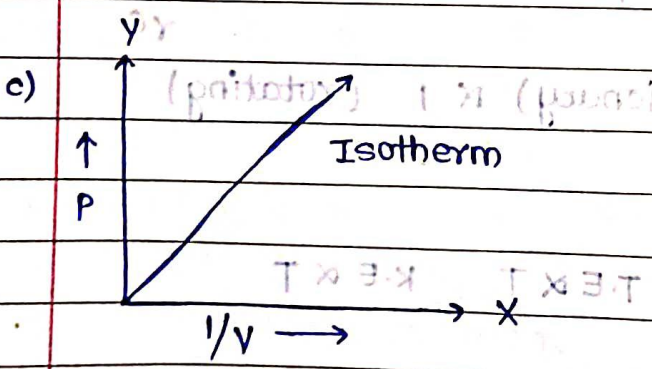
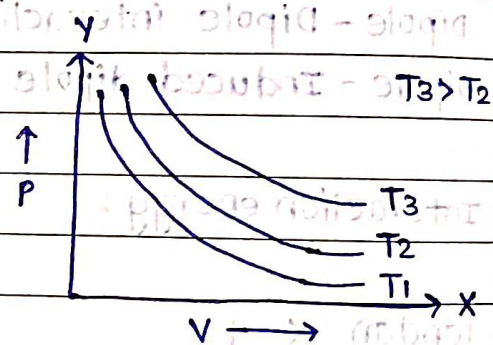
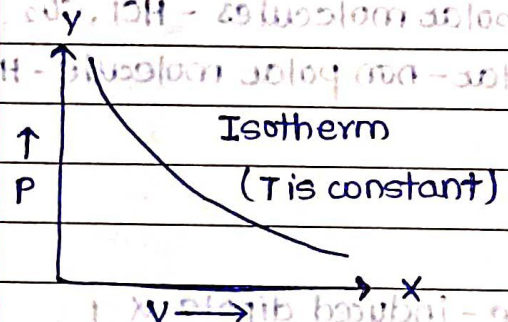
Phase Transitions

Gas laws: Gas laws inter relate the measurable properties of gases. (P, V, T and n)

① Boyle's law
n, T constant.

$V \propto \frac{1}{P}$
 $PV = \text{constant}$ $PV_1 = P_2V_2$ — depends on n and T
 also on units of P and V.

② Graphs:



② Charles's law :

P, n constant.

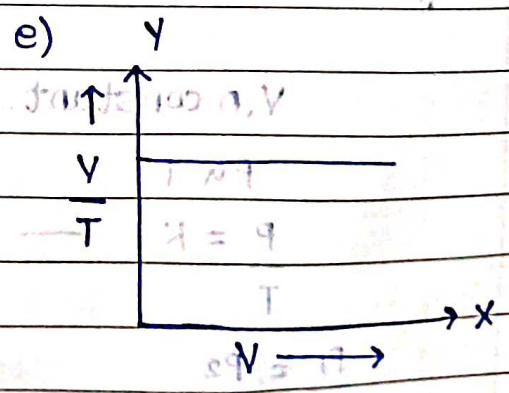
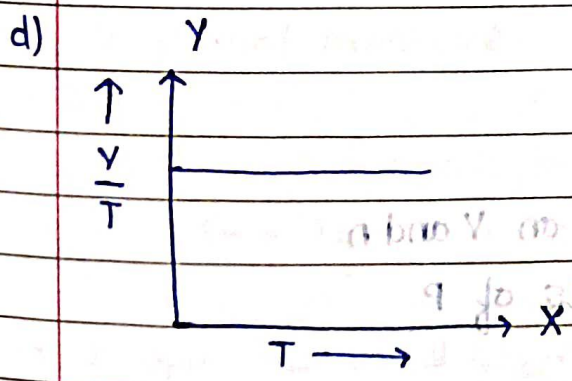
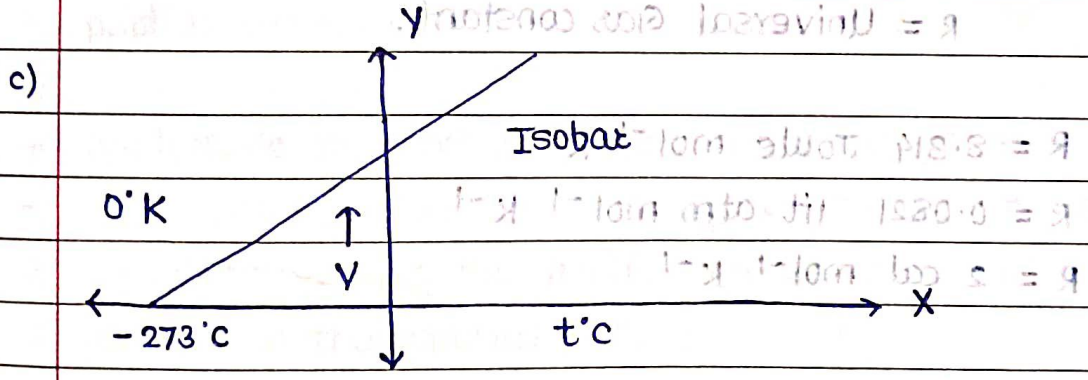
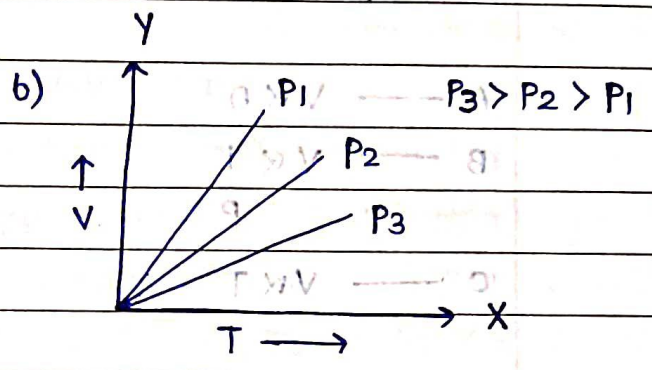
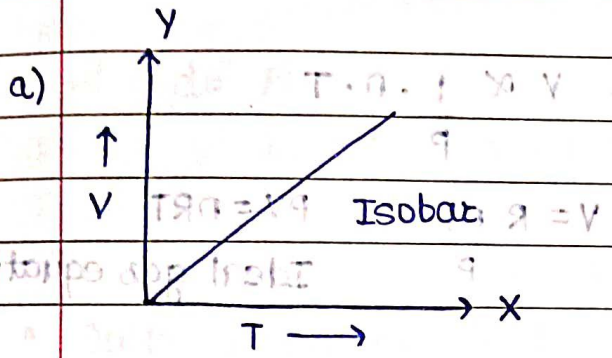
$V \propto T$

$\frac{V}{T} = K$ — V depends on p and n
and units of volume.

$V_1 = V_2$

$T_1 \propto T_2$ — T must be taken in kelvin only.

• Graphs :



③ Avagadro's law :

P, T constant

$$V \propto n$$

$$\frac{V}{n} = k \quad \text{--- depends on } P \text{ and } T \text{ and units of } V.$$

$$\frac{V_1}{n_1} = \frac{V_2}{n_2}$$

The gas which strictly obeys ABC is known as Ideal gas.

• Ideal gas equation:

$A \rightarrow V \propto n$
 $B \rightarrow V \propto \frac{1}{P}$
 $C \rightarrow V \propto T$

$\therefore V \propto \frac{1}{P} \cdot n \cdot T$
 $V = \frac{nRT}{P}$
 $PV = nRT$
 Ideal gas equation

R = Universal Gas constant:

$$R = 8.314 \text{ Joule mol}^{-1} \text{K}^{-1}$$

$$R = 0.0821 \text{ lit atm mol}^{-1} \text{K}^{-1}$$

$$R = 2 \text{ cal mol}^{-1} \text{K}^{-1}$$

④ Gay Lussac's law:

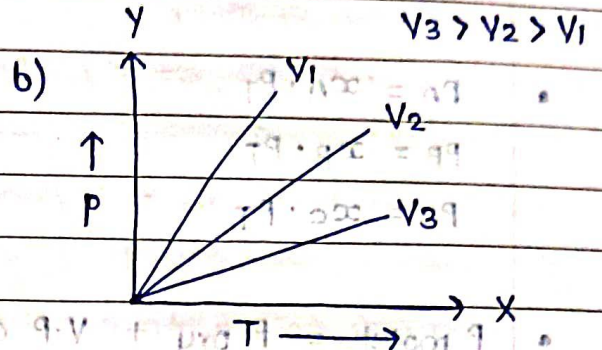
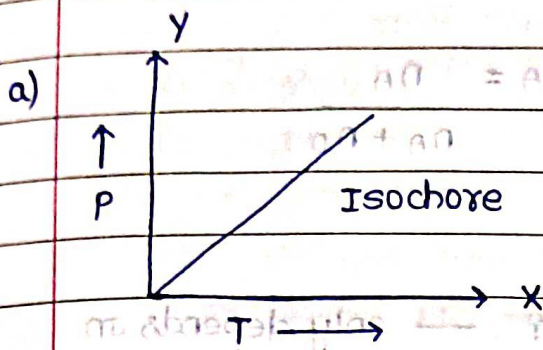
V, n constant.

$$P \propto T$$

$$\frac{P}{T} = k \quad \text{--- depends on } V \text{ and } n \text{ and units of } P$$

$$\frac{P_1}{T_1} = \frac{P_2}{T_2}$$

• Graphs :



• Density of Ideal gas :

• Combined gas law :

$$d = \frac{PM}{RT}$$

If $n_1 = n_2$

• Dalton's law of partial pressures :

- applicable to mixture of non-reducing gases
- The total pressure exerted by a gaseous state mixture is equal to sum of the partial pressures of all the gases present in the mixture.
- The pressure exerted by an individual gas in the mixture is partial pressure.

A, B and C — 3 gases

$$P_T = P_A + P_B + P_C$$

On applying Ideal gas equation,

$$P_T = \frac{n_T RT}{V}$$

$$P_A = \frac{n_A RT}{V}$$

$$P_B = \frac{n_B RT}{V}$$

$$P_C = \frac{n_C RT}{V}$$

• $n_T = n_A + n_B + n_C$

• $P_A = x_A \cdot P_T$ $x_A = \frac{n_A}{n_A + n_B}$
 $P_B = x_B \cdot P_T$
 $P_C = x_C \cdot P_T$

• $P_{\text{moist}} = P_{\text{dry}} + V.P \text{ of } H_2O$ or — only depends on
 gas gas Avg. Tension Temp

• Graham's law :

The rate of diffusion or effusion of a gas is inversely proportional to molecular mass / density of gas at constant P and T.

- Diffusion - The spontaneous intermixing of gases.
- effusion - The diffusion of a gas from high P to low P through a 'orifice'

$r \propto \frac{1}{\sqrt{M}}$ or $r \propto \frac{1}{\sqrt{\rho}}$ (P, T) - constant

$$\frac{r_1}{r_2} = \sqrt{\frac{M_2}{M_1}} = \sqrt{\frac{\rho_2}{\rho_1}}$$

① If P constant $r \propto \sqrt{T}$ $\frac{r_1}{r_2} = \sqrt{\frac{T_1 \times M_2}{T_2 \times M_1}} = \sqrt{\frac{T_1 \times \rho_2}{T_2 \times \rho_1}}$
 T variable

② If T constant $r \propto \frac{1}{\sqrt{M}}$ $\frac{r_1}{r_2} = \frac{P_1}{P_2} \sqrt{\frac{M_2}{M_1}} = \frac{P_1}{P_2} \sqrt{\frac{\rho_2}{\rho_1}}$
 P variable

$$\gamma = \frac{\text{vol. of gas diffused/effused}}{\text{time taken}} = \frac{V}{t}$$

$$\frac{\gamma_1}{\gamma_2} = \frac{V_1 \times t_2}{t_1 \times V_2}$$

$$\gamma = \frac{\text{distance travelled by gas} = d}{\text{time taken}}$$

$$\frac{\gamma_1}{\gamma_2} = \frac{d_1 \times t_2}{t_1 \times d_2}$$

$$\gamma = \frac{\text{no. of moles of gas diffused/effused} = n}{\text{time taken} = t}$$

$$\frac{\gamma_1}{\gamma_2} = \frac{n_1 \times t_2}{t_1 \times n_2}$$

• KTG:

A gas consists of large number of tiny identical particles called atoms/molecules.

- There is no force of attraction b/w the particles.
- The vol. occupied by gas molecules is negligible as compared to total volume of gas.
- The particles are always in constant and random motion.
- Particles move in all possible directions in straight lines. During their motion, they collide with other and with walls of container.
- Collisions of gas molecules are perfectly elastic.
- K.E and speed always changes.
 $\approx 10^{-9}$ sec

- Avg K.E \propto Absolute Temperature.

- $PV = \frac{1}{3} mnc^2$ (Kinetic gas equation)

$$K.E = \frac{3}{2} RT \text{ (Average K.E of 1 mol. of gas)}$$

$$K.E = \frac{3}{2} nRT \text{ (Average K.E of n mol. of gas)}$$

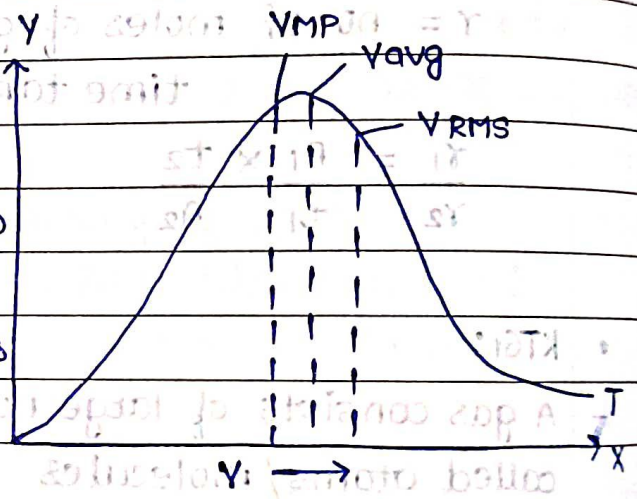
$$K.E = \frac{3}{2} k_B T \text{ (Average K.E of one gas molecule)}$$

$k_B = \text{Boltzmann constant} = 1.38 \times 10^{-23} \text{ J/K}$

$N_A = \text{Avogadro's number} = 6.023 \times 10^{23} \text{ mol}^{-1}$

• Maxwell-Boltzmann velocity distribution curve:

- The molecules possessing very low velocities and very high velocities are found to be less. fraction of molecules



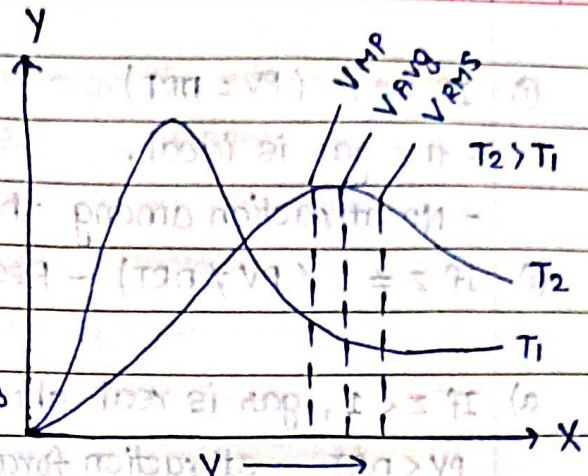
- VMP - velocity possessed by maximum fraction of the molecules

$$VMP = \sqrt{\frac{2RT}{M}} = \sqrt{\frac{2PV}{M}} = \sqrt{\frac{2P}{\rho}} \text{ (For 1 mole of ideal gas)}$$

$$V_{avg} = \sqrt{\frac{8RT}{\pi M}} = \sqrt{\frac{8PV}{\pi M}} = \sqrt{\frac{8P}{\pi \rho}}$$

$$V_{RMS} = \sqrt{\frac{3RT}{M}} = \sqrt{\frac{3PV}{M}} = \sqrt{\frac{3P}{\rho}}$$

- On Increasing 'T' graph shifts to right side.
- Peak becomes broader.



- Molecules possessing higher velocities increases.
- 'M' increases velocity decreases.
- Area under the graph (Total no. of molecules) remains same.

- Density will be highest at High pressure and low temperature
- $V_{MP} < V_{AVG} < V_{RMS}$

• Deviation of a gas from ideal behaviour:

Ideal gas	Non-ideal (Real) gas
- Do obey KTG	- Does not obey KTG
- Vol. occupies by gas molecules is negligible	- Volume occupied by gas molecules is significant.
- No attraction forces among the gas molecules.	- There is attraction or repulsion force.
- Obey ideal gas $PV = nRT$	- Obey vanderwaal's gas $(P + \frac{an^2}{V^2})(V - nb) = nRT$
- Very low P and very high temp.	

• Compressibility factor (z):

$$z = \frac{PV}{nRT}$$

It gives the nature of gas.

① If $z = 1$ ($PV = nRT$)

- the gas is ideal.
- No attraction among the gas molecules.

② If $z \neq 1$ ($PV \neq nRT$) - Real

a) If $z < 1$, gas is real shows -ve deviation from ideal behaviour.
 $PV < nRT$ - attraction forces are dominating

b) If $z > 1$, gas is real shows +ve deviation from ideal behaviour.
 $PV > nRT$ - Repulsion forces are dominating.

• Vanderwaal's Gas equation :

- derived from ideal gas equation by correcting P and V terms

Vanderwaals Gas equation, $(P + \Delta P)(V + \Delta V) = nRT$

ΔP - pressure correction

ΔV - Volume correction

① Pressure correction

due to molecular attractions,

$P_{\text{real}} < P_{\text{ideal}}$

$P_{\text{ideal}} = P_{\text{real}} + \Delta P$

ΔP - the pressure reduced due to molecular attraction

$$\Delta P = \frac{an^2}{V^2}$$

$\Delta P \propto$ colliding molecules.

\propto molecules attracting the colliding molecules

$$\Delta P \propto \frac{n^2}{V^2}$$

$$\Delta P = \frac{an^2}{V^2}$$

a = vanderwaal's constant signifies attraction forces.
units of a = $\text{atm lit}^2 \text{mol}^{-2}$

② Volume correction

$$V_{\text{gas}} = V_{\text{container}} - nb$$

nb - vol. occupied by gas molecules is significant (excluded volume)

b - vanderwaal's constant signifies size of molecules.

Units : lit mol^{-1}

Now, Vanderwaal's Gas equation

$$\left(\frac{P + \frac{an^2}{V^2}}{V} \right) (V - nb) = nRT$$

- b = excluded volume per mol.

excluded vol due to 1 molecule = $4 \times \frac{4}{3} \times \pi r^3$

Volume of each gas molecule = $\frac{4}{3} \times \pi r^3$

Volume of 1 mol of molecules = $4 \times \frac{4}{3} \times \pi r^3 \times N_A = b$

- For gases like: CO_2 , CH_4 , SO_2 :-

- Size is more
- a is more (attraction)
- For 1 mol,

Low P High P = a
 - V is very high - V is very low
 - b is negligible. - b is not negligible.
 - a is not negligible. - a is negligible.

$$\left(\frac{P+a}{V^2} \right) (V) = RT \quad \text{---} \quad P(V-b) = RT$$

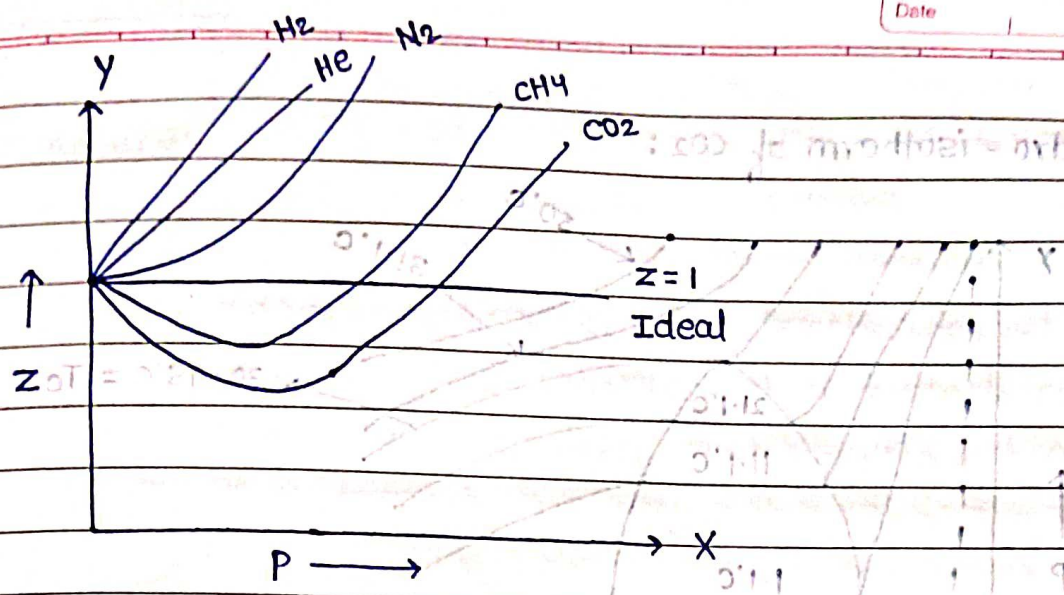
$$\frac{PV}{RT} = 1 - \frac{a}{VRT} \quad \text{---} \quad \frac{PV}{RT} = 1 + \frac{Pb}{RT}$$

$\therefore z < 1$ $\quad \quad \quad z = 1 + \frac{Pb}{RT}$
 $z = 1 - \frac{a}{VRT}$
 - Real, -ve deviation $\quad \quad \quad$ - Real, +ve deviation.

• For gases like H₂, He and N₂ :-
 - size is very less.
 - a is low.

Low P	High P
- V is very high	- V is low
- b is negligible	- a is negligible.
- a is negligible	- b is not negligible.
- PV = RT	- P(V-b) = RT
$\frac{PV}{RT} = 1$	- $\frac{PV}{RT} = 1 + \frac{Pb}{RT}$

$\therefore z = \frac{V_{real}}{V_{ideal}}$ $\quad \quad \quad \therefore z > 1$
 +ve deviation



• Liquification of gases: (Depend upon T and P)

① critical temp (T_c) - The temp above which a gas can't be liquified what ever the pressure is applied.

$$T_c = \frac{8a}{27Rb} \quad (\text{Vanderwaal's constant})$$

$$T_c \propto a$$

Liquified easily if 'a' is more.
Higher the a value (T_c value), Higher the tendency to liquify

② Critical pressure (P_c):

The pressure applied at T_c to liquify the gas.

$$P_c = \frac{a}{27b^2}$$

③ Critical volume (V_c):

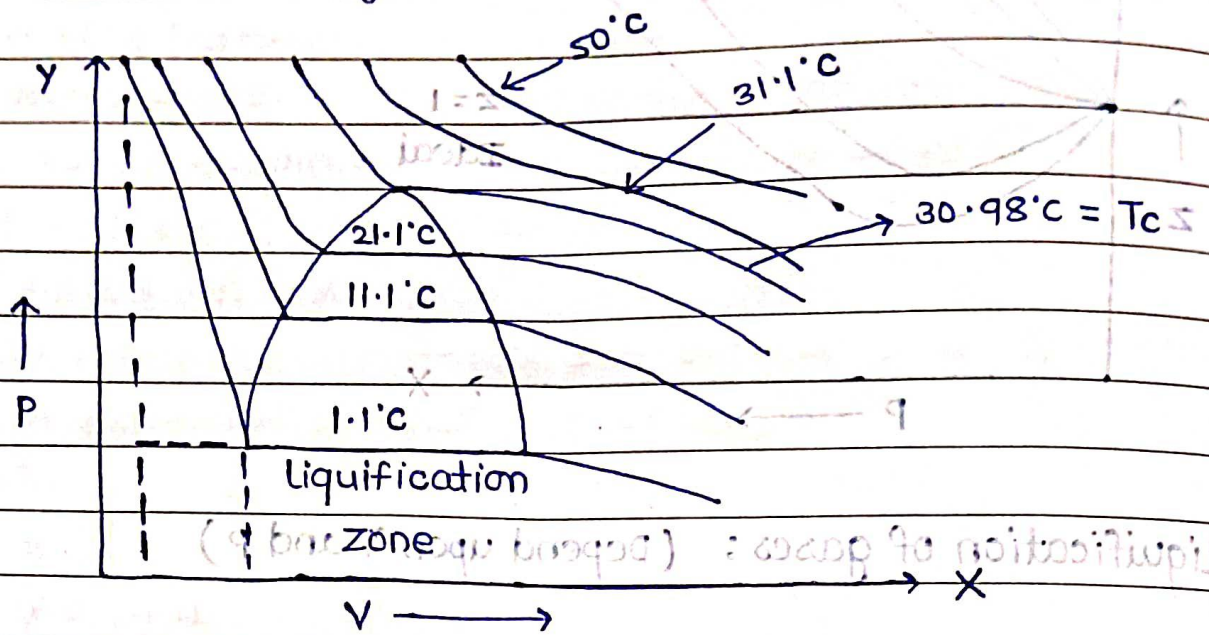
The volume occupied at T_c and P_c

$$V_c = 3b$$

- $z < 1$ at critical condition for 1 mol of gas.

$$\left(z = \frac{3}{8} \right)$$

- Andro - isotherm of CO₂ :



critical temp (T_c) - the temp above which a gas cannot be liquefied what ever the pressure

- Vapour pressure:

- Intensive property (mass independent)

- depends (on T) $V \cdot P \propto T$

$$V \cdot P \propto T$$

- Boiling point $V \cdot P \propto 1$

B.pt is more easily if α is more easily liquefied

higher the α value (to value) higher the tendency to liquefy

- Boyle's Temperature $T_b = -\frac{a}{Rb}$

- It is the temperature at which real gases obey ideal gas laws over an appreciable range of pressure.

- Standard Boiling point : 99.6°C

Temperature at which the vapour pressure of the liquid is 1 bar.

- Normal boiling point : 100°C

Temperature at which the vapour pressure of the liquid is 1 atm.

($\epsilon = 5$)
(8)